# Fillers and usillitators 

Filters get rid of a signal's unwanted frequency components. Oscillators create signals at predictable frequencies. As you might imagine, the two types of circuits have more than a little in common.

Jim Williams, Linear Technology Corp

Filters and oscillators share a common point of view-they deal with signals in the frequency domain. You can define a filter's function as rejecting frequencies you don't want (the job of a band-reject filter, for example) or including only the frequencies you want (what a bandpass filter does). If you reorient your thinking slightly, though, you realize that all filters reject unwanted frequencies. (The bandpass filter rejects frequencies outside the band of interest.) When you view filters in this way, you see that any filter's function is the inverse of an oscillator's; oscillators synthesize individual frequencies or ranges of frequencies. Although there are more kinds of filters and oscillators than any magazine article of reasonable length can hope to touch on, herein are a few types of circuits that can meet a range of needs.

Fig 1a shows a highly selective bandpass filter using a resonant ceramic element and a single amplifier. Except at its resonant frequency, (in this case, 400 kHz ) the ceramic element looks like a high impedance. For off-resonance inputs, $\mathrm{IC}_{1}$ produces no output; it acts as a follower whose input is grounded. At resonance,

*CERAMIC RESONATOR MURATA-ERIE CORP
(a)


Fig 1-One amplifier and a ceramic resonator create a bandpass filter ( $\boldsymbol{a}$ ). The solid curve of $\boldsymbol{b}$ shows the filter's frequency response. Note the dip to -40 dB on the high side of resonance. The dip is the result of the resonator's parasitic capacitance.
the ceramic element has a low impedance, and $\mathrm{IC}_{1}$ behaves as an inverter with gain. The $100 \Omega$ resistor isolates $\mathrm{IC}_{1}$ 's summing point from the ceramic element's capacitance. This capacitance is quite substantial and limits the circuit's out-of-band rejection. Fig 1b, curve A shows this effect. This plot shows very steep rejection, with $\mathrm{IC}_{1}$ 's output down almost 20 dB at 300 kHz and 40 dB at 425 kHz . The device's stray parasitic capacitance causes the gentle rise in the output at higher frequencies and also sets the $-20-\mathrm{dB}$ floor at 300 kHz .

Fig 2 shows how to use a nulling technique to partially correct problems caused by the ceramic element's parasitic capacitance. This circuit is similar to the previous one, except that a portion of the input goes to $\mathrm{IC}_{1}$ 's positive input. The R-C network at that input has an impedance close to the ceramic resonator's offnull impedance. Therefore, out-of-band components produce similar signals at $\mathrm{IC}_{1}$ 's inputs, and, because of $\mathrm{IC}_{1}$ 's common-mode rejection, produce little output. At resonance, the added R-C network appears as a much higher impedance than does the ceramic element, and the filter response is similar to that of the circuit in Fig 1a. Fig 1b, curve B shows that this circuit has much better out-of-band rejection than does the earlier circuit. The high-frequency rolloff is smooth, and, at 475 kHz , over 20 dB deeper than that of the circuit in Fig 1a. At 375 kHz and below, on the low-frequency side of resonance, the circuits behave similarly.

By using quartz crystals, you can make filters whose high-frequency selectivity is even higher than that of


Fig 2-A slight modification of the circuit in Fig 1a allows you to cancel out the effects of the resonator's parasitic capacitance. The dashed curve of Fig 1b shows the effects on the filter response. Below resonance, the modified circuit attenuates by an extra 20 dB . Above approximately 525 kHz , the improvement is even more dramatic.
filters based on ceramic resonators. Fig 3a replaces Fig 1a's ceramic element with a $3.57-\mathrm{MHz}$ quartz crystal. Fig 3b shows almost 30 dB of attenuation only a few kHz on either side of resonance! The differential nulling technique used with the ceramic elements is less effective with quartz crystals. Crystals have significantly lower parasitic capacitance, making the cancellation less effective.

## Oscillators use crystals and resonators

The circuit in Fig 4 places a crystal within the amplifier's feedback path, creating an oscillator. With the crystal removed, the circuit is a familiar noninverting amplifier with a grounded input. The impedance ratio of the elements associated with $\mathrm{IC}_{1}$ 's negative input sets the gain. Inserting the crystal closes a positive


Fig 3-Replacing the ceramic resonator of Fig 1a with a $3.57-\mathrm{MHz}$ crystal is the most significant change that leads to this crystal filter (a). You can see the crystal filter's response in $\boldsymbol{b}$.


Fig 4-An incandescent lamp's current-dependent resistance stabilizes the oscillation amplitude of this $10-\mathrm{MHz}$ crystal oscillator.
feedback path at the crystal's resonant frequency, and oscillations commence.
In any oscillator, you must control the gain as well as the phase shift at the frequency of interest. If the gain is too low, oscillation will not occur. Conversely, too much gain produces saturation limiting. In this circuit, gain control comes from the positive temperature coefficient of the lamp at $\mathrm{IC}_{1}$ 's negative input. When you first apply power, the lamp's resistance is low, the gain is high, and the oscillation amplitude increases. As the amplitude builds, the lamp current increases and causes heating, which raises the lamp resistance. The increased resistance reduces the amplifier gain and the circuit finds a stable operating point. This circuit's sine-wave output has all of the stability
advantages associated with quartz crystals. Although shown with a $10-\mathrm{MHz}$ crystal, the circuit works well with a variety of crystal types from 100 kHz to 20 MHz . Using a lamp to control the amplifier gain is a classic technique, first described by Meacham in 1938. Electronic gain control, though more complex, offers more precise control of amplitude.

Fig 5a's quartz stabilized oscillator replaces the lamp with an electronic amplitude-stabilization loop. $\mathrm{IC}_{2}$ compares the $\mathrm{IC}_{1}$ oscillator's positive output peaks with a dc reference. The diode in the dc-reference path compensates for the rectifier diode's temperature dependence. $\mathrm{IC}_{2}$ biases $\mathrm{Q}_{1}$, controlling the FET's channel resistance and influencing the loop gain. The amplitude of the oscillator's output is a reflection of the loop gain. Loop closure around $\mathrm{IC}_{1}$ stabilizes the amplitude of the oscillator's output; the $1-\mu \mathrm{F}$ capacitor compensates the gain-control loop.

The dc-reference network provides optimum temperature compensation for the rectifier diode, which sees $\mathrm{IC}_{1}$ 's 2 V p-p, $20-\mathrm{MHz}$ output waveform. $\mathrm{IC}_{1}$ 's small output swing minimizes the distortion attributable to channel-resistance modulation in $Q_{1}$. To use this circuit, adjust the $50 \Omega$ trimmer until 2 V p-p oscillations appear at $\mathrm{IC}_{1}$ 's output.

Fig $\mathbf{5 b}$ is a spectrum analysis of the oscillator's output. The fundamental is at 20 MHz ; the second harmonic, at 40 MHz , is 47 dB down. The third harmonic,

(a)

Fig 5-An electronic gain-control circuit that uses the voltage-controlled on-resistance of a FET stabilizes the output amplitude of this $20-\mathrm{MHz}$ crystal oscillator (a). In b, you see that the output's harmonics are at least 47 dB below the fundamental.

50 dB down, occurs at 60 MHz . Resolution bandwidth for the spectrum analysis is 1 kHz .

The circuit in Fig 6a replaces the quartz crystal with a Wien network at $\mathrm{IC}_{2}$ 's positive input. $\mathrm{IC}_{1}$ controls $\mathrm{Q}_{1}$ to stabilize the amplitude of $\mathrm{IC}_{2}$ 's oscillations. The operation is identical to that of the circuit in the previous figure. Although the Wien network is not nearly as stable as a quartz crystal, it has the advantage of a variable-frequency output. Normally, you vary the frequency by varying either $R$ or $C$ or both. The use of manually adjustable elements, such as dual potentiometers and 2 -section variable capaci-
tors is common. The circuit in Fig 6a uses fixed, $360 \Omega$ Wien-network resistors and uses varactor diodes as capacitors. The varactor diodes' voltage-variable capacitance allows dc tuning of the oscillator. Applying 0 to 10 V dc to the varactors shifts the oscillation frequency from 1 to 10 MHz . The $0.1-\mu \mathrm{F}$ capacitor blocks the dc bias from $\mathrm{IC}_{2}$ 's positive input but lets the Wien network function normally. $\mathrm{IC}_{2}$ 's 2 V p-p output minimizes the varactors' junction effects and thereby limits distortion.

This 5V-powered circuit requires a voltage step-up to develop adequate varactor drive. $\mathrm{IC}_{3}$ and the


Fig 6-A pair of varactor diodes lets you tune this Wien-bridge oscillator (a) from 1 MHz to 10 MHz by applying a 0 to 10 V signal. Adding the components in the right half of the schematic lets you operate the circuit from a 5 V supply and permits controlling the frequency with a 0 to 2.5 V signal. The spectrum analysis in $\boldsymbol{b}$ shows that the sinusoidal output is quite clean.

LT1172 switching regulator form a simple voltage stepup regulator. $\mathrm{IC}_{3}$ controls the LT1172 to produce whatever output voltage is required to close a loop at $\mathrm{IC}_{3}$ 's negative input. The $22-\mu \mathrm{F}$ output capacitor stores $\mathrm{L}_{1}$ 's high-voltage inductive-flyback pulses after they have been rectified by the diode-and-zener-connected $\mathrm{Q}_{2}$. The $7.5-\mathrm{k} \Omega / 2.5-\mathrm{k} \Omega$ divider closes the loop by providing a sample of the output value to $\mathrm{IC}_{3}$ 's negative input. The $0.1-\mu \mathrm{F}$ capacitor stabilizes this feedback action. $\mathrm{IC}_{2}$ 's zener drop allows the circuit to produce controlled outputs at voltages as small as zero. This arrangement permits a 0 to 2.5 V input at $\mathrm{IC}_{3}$ to produce a corresponding 0 to 10 V varactor bias. Fig 6b, a spectral plot of the circuit running at 7.6 MHz , shows the second harmonic down 35 dB and the third harmonic down almost 60 dB . The resolution bandwidth is 3 kHz .
Fig 7a shows the schematic of an AM radio stationcomplete from microphone to antenna, but lacking a Federal Communications Commission license. $\mathrm{IC}_{1}$, set up as a quartz-stabilized oscillator similar to the one in Fig 4, generates the carrier. $\mathrm{IC}_{1}$ 's output feeds $\mathrm{IC}_{2}$, which functions as a modulated RF power-output stage. The bias applied to offset pins 1 and 8 restricts $\mathrm{IC}_{2}$ 's input-signal range. (See the LT1194 data sheet for details.) $\mathrm{IC}_{3}$, a microphone amplifier, supplies bias to the offset pins, resulting in an amplitude-modulated RF carrier at $\mathrm{IC}_{2}$ 's output. The de voltage summed with the microphone output biases $\mathrm{IC}_{3}$ 's output to the appropriate level for good quality modulation characteristics. Calibrating this circuit involves trimming the
$100 \Omega$ potentiometer in the oscillator for a stable 1 V p-p 1-MHz output from $\mathrm{IC}_{1}$.
Fig 7a does not show on-air personalities-or, in keeping with current trends in AM radio-a means of providing any kind of program other than a talk show. There is no phonograph pickup or connection to the output of a compact-disc player. Nevertheless, you can connect such a music source to the microphone input. Fig 7b shows a typical AM carrier output at the antenna. In a throw-back to the days when top-40 formats reigned on the AM band, the modulating signal is Mr Chuck Berry singing the rock-'n'-roll classic "Johnny B. Goode."

## Start with a triangle; end up with a sine

The oscillators presented to this point have limited tuning-frequency range. Although the circuit in Fig 8 a is not a true oscillator, it produces a synthesized sine-wave output over a wide dynamic range. Many applications such as audio, shaker-table driving, and automatic test equipment require voltage-controlled oscillators (VCOs) that have sine-wave outputs. This circuit meets this need, spanning a range of 1 Hz to 1 MHz (equal to 6 decades or 120 dB ) for a 0 to 10 V input. The circuit maintains $0.25 \%$ frequency linearity and $0.40 \%$ distortion.
To understand the circuit, assume $Q_{5}$ is on and its collector ( $\mathbf{F i g} 8 \mathbf{b}$, trace A , ) is at -15 V , cutting off $\mathrm{Q}_{1}$. $\mathrm{IC}_{3}$, which inverts the positive input voltage and biases the summing node of integrator $\mathrm{IC}_{1}$ through the $3.6-\mathrm{k} \Omega$


Fig 7-Though perhaps not worthy of Wolfman Jack or Dick Biondi, the circuit of a is still a complete AM radio station. When Chuck Berry picks his guitar and belts out "Johnny B. Goode," the modulated output looks like what you see in b.
resistor and the self-biased FET's, pulls a current, -I , from the summing point. $\mathrm{IC}_{2}$, a precision op amp , provides de stabilization of $\mathrm{IC}_{1} . \mathrm{IC}_{1}$ 's output, (trace B, ) ramps positive until $\mathrm{IC}_{5}$ 's input, (trace C ,) crosses zero and causes $\mathrm{IC}_{5}$ 's inverting output to go negative. The $\mathrm{Q}_{4} / \mathrm{Q}_{5}$ level shifter then turns off, and $\mathrm{Q}_{5}$ 's collector goes to +15 V , allowing $Q_{1}$ to come on. The values of
the resistors in $\mathrm{Q}_{1}$ 's path result in a current, +2 I , exactly twice the absolute magnitude of the current, - I, that flows out of the summing node. As a result, the net current into the junction becomes +I , and $\mathrm{IC}_{1}$ integrates negatively at the same rate it did during its positive-going excursion.

When $\mathrm{IC}_{1}$ integrates far enough in the negative di-


Fig 8-A classic function generator, a, creates square and triangular waves whose frequency you can control with a dc voltage. A trigonometric-function generator IC converts the triangle to a sine. The traces in $\boldsymbol{b}$ show waveforms within the circuit. The lowest trace shows the residual distortion after you remove the output's fundamental-frequency component. In $\boldsymbol{c}$, you see the circuit's quick and clean response to a command to change frequency.

# THI <br> JIM WIILIAMS <br> PAPERS 

rection, $\mathrm{IC}_{5}$ 's + input crosses zero and the circuit's two outputs change state. The state change switches the $Q_{4} / Q_{5}$ level shifter's state, causing $Q_{1}$ to go off and the entire cycle to repeat. The result is a triangular waveform at $\mathrm{IC}_{1}$ 's output. The frequency of this triangle depends on the circuit's input voltage and varies from 1 Hz to 1 MHz with a 0 to 10 V input. The LT1009 diode bridge and the series-parallel diodes provide a stable bipolar reference that always opposes the sign of $\mathrm{IC}_{1}$ 's output ramp. The Schottky diodes bound $\mathrm{IC}_{5}$ 's + input, ensuring its clean recovery from overdrive.

## Sine of the times

The AD639 trigonometric function generator, biased via $\mathrm{IC}_{4}$, converts $\mathrm{IC}_{1}$ 's triangular output into a sine wave, (trace D). To avoid output distortion, you must supply the AD639 with a triangular wave that does not vary in amplitude. At higher frequencies, delays in the $\mathrm{IC}_{1}$-integrator switching loop result in late turnon and turn-off of $\mathrm{Q}_{1}$. Unless you minimize these delays, the triangle amplitude will increase with frequency and cause the distortion level to increase. $\mathrm{IC}_{5}$, the $\mathrm{Q}_{4} / \mathrm{Q}_{5}$ level shifter, and $Q_{1}$ generate a total delay of 14 nsec . This small delay, combined with the $22-\mathrm{pF}$ feedforward network at $\mathrm{IC}_{5}$ 's input, keeps distortion to just $0.40 \%$ over the entire $1-\mathrm{MHz}$ range. At 100 kHz , the distortion is typically less than $0.2 \%$. The $8-\mathrm{pF}$ capacitor in $Q_{1}$ 's source line minimizes the effects of gate-source charge transfer, which occurs whenever $Q_{1}$ switches. Without this capacitor, a sharp spike would occur at the triangle peaks, increasing distortion. FETs $Q_{2}$ and $Q_{3}$ compensate for the temperaturedependent on-resistance of $Q_{1}$ and keep the $+2 \mathrm{I} /-\mathrm{I}$ relationship constant with temperature.

This circuit responds very rapidly to input changessomething most sine-wave generators cannot do. Fig 8 c shows what happens when the input switches between two levels, (trace A). IC's triangle output (trace B), shifts frequency immediately, with no glitches or poor dynamics. The sine output, (trace C), reflecting this action, is similarly clean. To adjust this circuit, apply 10.00 V and trim the $100 \Omega$ potentiometer for a symmetrical triangle output at $\mathrm{IC}_{1}$. Next, apply 100 $\mu \mathrm{V}$ and trim the $100-\mathrm{k} \Omega$ potentiometer for triangle symmetry. Then, apply 10.00 V again and trim the $1-\mathrm{k} \Omega$ frequency-trim adjustment for a $1-\mathrm{MHz}$ output frequency. Finally, adjust the distortion-trim potentiometers for minimum distortion as measured on a distortion analyzer ( $\mathbf{F i g} \mathbf{8 b}$, trace E). You may have to readjust the other potentiometers slightly to achieve the lowest
possible distortion. If you won't operate the circuit below 100 Hz , you can delete the $\mathrm{IC}_{2}$-based dcstabilization stage. If you make this change, you should ground $\mathrm{IC}_{1}$ 's positive input.

Many of the filter and oscillator circuits presented here are simple as well as useful. Their simplicity shows that clever circuit designers often take a minimalist approach. When you speak or write, you are more likely to get your point across if you use short words that are familiar to your audience. So it is with circuits. The simplest design that does the job usually costs the least and operates more reliably than complex alternatives.

コロ페

## Author's biography

For more information on this article's author, turn to pg 163 in the October 10, 1991, issue.

Article Interest Quotient (Circle One) High 494 Medium 495 Low 496


The WSB-100 waveform synthesizer offers speed and memory at a price that's half what you'd expect to pay. With its analog module, the WSB-100 becomes a 12-bit waveform board for the PC-AT and compatibles that can be used in a wide range of testing and control applications. Multiple boards can be connected to store longer waveforms or to run several waveforms simultaneously.

Optional modules enable the WSB-100 to act as a digital pulse generator or 16 -bit word generator.

A $10 \mathrm{MHz} / 32 \mathrm{~K}$ configuration is available at an even lower price.
Call for our free Interface Handbook:
1-800-553-1170

## T] CUATECH

662 Wolf Ledges Parkway Akron, OH 44311

PC-AT is a registered trademark of IBM Corp.

# JIM WIILIMMS PAPERS <br> <br> Higl-splpeal <br> <br> Higl-splpeal data-canversiona circuilts 

 data-canversiona circuilts}

> The variety of circuits that prove useful in high-speed data conversion is almost limitless. Here is a collection of circuits that can turn out to be lifesavers in several situations.

## Jim Williams, Linear Technology Corp

Any reasonably complete listing of the types of circuits that you can use in data conversion and analog/digital data acquisition would be long indeed. Although books have been written just on D/A and A/D converters, such circuits are hardly the only ones that prove useful in acquiring fast-changing ana$\log$ signals. You almost can't mention ADCs without also bringing up sample and hold ( $\mathrm{S} / \mathrm{H}$ ) circuits. Volt-age-to-frequency converters offer a very attractive alternative to more conventional ADCs, especially where you need signal isolation or outstanding linearity. Comparators are the heart of any analog-to-digital conversion scheme. Trigger circuits let you view and capture waveforms that recur at intervals that aren't perfectly periodic. Time-to-voltage converters let you see how pulse widths and time intervals vary as a function of time, and rms-to-dc converters extract an important property of ac signals-their heating value. There is a measure of commonality among
the techniques you use to design such circuits. Here for your entertainment and edification is a potpourri of useful circuits that perform diverse functions.

In Fig 1a, the LT1016 comparator and the LT1122 high-speed FET amplifier combine to form a highspeed V/F converter. A variety of circuit techniques yields a $1-\mathrm{Hz}$ to $10-\mathrm{MHz}$ output. The circuit continues to function with a $20 \%$ overrange ( $\mathrm{V}_{\text {IN }}=12 \mathrm{~V}$; $\mathrm{f}_{\text {OUT }}=12$ MHz ). This circuit has a wider dynamic range ( 140 dB , or seven decades) than any unit available commercially. The $10-\mathrm{MHz}$ full-scale frequency is $10 \times$ as high as that of currently available monolithic V/F converters.

The theory of operation depends on the identity Q $=C V$. Each time the circuit produces an output pulse, it feeds back a fixed quantity of charge (Q) to a summing node (7). The circuit's input furnishes a comparison current at the summing node and a monitoring amplifier's feedback capacitor integrates the difference signal. The amplifier controls the circuit's out-put-pulse generator, completing a feedback loop around the integrating amplifier. To maintain the summing node at zero, the pulse generator runs at a frequency at which the pumped charge just offsets the current produced by the input signal. Thus, the output frequency is linearly proportional to the input voltage.
$\mathrm{IC}_{1}$ is the integrating amplifier. Stabilizing $\mathrm{IC}_{1}$ with $\mathrm{IC}_{2}$, a chopper-stabilized op amp, produces $0.05 \mu \mathrm{~V} /{ }^{\circ} \mathrm{C}$ of offset drift. $\mathrm{IC}_{2}$ measures the dc value of the negative input, compares it with ground, and forces the positive input to maintain the offset balance in $\mathrm{IC}_{1}$.

Note that $\mathrm{IC}_{2}$ is an integrator that cannot see highfrequency signals. It functions only at dc and low frequencies.
Integrator $\mathrm{IC}_{1}$ has a 68 -pF feedback capacitor. When you apply a positive voltage to the input, $\mathrm{IC}_{1}$ 's output integrates in a negative direction (Fig 1b, trace A).

During this period, $\mathrm{IC}_{5}$ 's inverting output is low. The paralleled HCMOS inverters form a reference-voltage switch. The LT1034s (driven by the LM134 current source and the $Q_{3} / Q_{4}$ combination) establish the reference voltage; a small input-voltage-related term adds to the reference, improving overall circuit linearity.


Fig 1-A voltage-to-frequency converter with a maximum output frequency of 10 MHz and a 140-dB dynamic range is only moderately complex (a). In b, you sie the circuit waveforms; $\boldsymbol{c}$ is an expanded view of the discharge-reset sequence upon which the circuit performance depends.
an integrator, is the actual hold amplifier. Its output feeds back to the switching bridge's input, forming a summing point with $\mathrm{IC}_{1}$ 's output resistor. This feedback loop enhances accuracy by placing the bridge within a loop.

Driving the $\mathrm{S} / \mathrm{H}$ input line switches the bridge. $\mathrm{Q}_{1}$ and $\mathrm{Q}_{2}$ drive $\mathrm{L}_{1}$ 's primary. $\mathrm{L}_{1}$ 's secondaries provide complementary drive to the bridge with negligible time skew.

Fig 2b shows the circuit acquiring a full-scale step. Trace $A$ is the input command; trace $B$ is $\mathrm{IC}_{2}$ 's output. The aberration (that is, the "hold step") visible in $\mathrm{IC}_{2}$ 's output when the circuit switches into the hold mode is the result of minute residual ac imbalances in the bridge. Fig 2c illustrates this effect in high-resolution detail, with the "hold-step trim" deliberately disconnected. After $\mathrm{IC}_{2}$ 's output nominally settles at final value, the circuit switches into the hold mode. The bridge imbalance dumps a small parasitic charge into $\mathrm{IC}_{2}$ 's summing point, in this case causing $\mathrm{IC}_{2}$ to step 10 mV higher. Properly connected and adjusted, the trim supplies a small compensatory charge during switching. Fig 2d shows the effect of this compensation on the output. The settled hold-mode output is the same as the acquired input voltage. To trim this circuit, ground the input while pulsing the $\mathrm{S} / \mathrm{H}$ control line. Next, adjust the trim for a minimal amplitude step between the $\mathrm{S} / \mathrm{H}$ states.

In contrast to low-frequency $\mathrm{S} / \mathrm{H}$ circuits, this circuit, if left in the sample mode, cannot pass a signal. The transformers' inherent ac coupling prevents the circuit from providing a dc output. Moreover, extend-
ing the sample-mode duration beyond 500 nsec will saturate the transformers, causing erroneous outputs and excessive dissipation in $Q_{1}$ and $Q_{2}$. If the control input can remain in the high state for extended periods, you should ac-couple the control signal.

## Compare currents in 15 nsec

Fig 3a shows a way to build a high-speed current comparator with resolution in the 12 -bit range. Comparing currents, which is the fastest way to compare DAC outputs with analog values, is a common technique in high-speed instrumentation, especially in highspeed A/D converters. $\mathrm{IC}_{1}$ is a Schottky-bounded amplifier. The bounding diodes hold down the response time by preventing summing-point overdrive from causing $\mathrm{IC}_{1}$ to saturate. Select the capacitor-it compensates for the DAC output capacitance-for the best amplifier damping; the $3-\mathrm{pF}$ value shown is typical. The feedback resistor maximizes the circuit's gainbandwidth product; the $10-\mathrm{k} \Omega$ value shown is also typical. Voltage gains of 4 to 10 are common.

Fig 3b shows the circuit's performance. Trace A, a test input, causes $\mathrm{IC}_{1}$ 's output (trace B) to slew through zero (the screen's center horizontal line). When $\mathrm{IC}_{1}$ crosses zero, $\mathrm{IC}_{2}$ 's input goes negative and $\mathrm{IC}_{2}$ responds 10 nsec later with a TTL output (trace C). The total time from when the test input reaches the TTL high threshold until the comparator output level becomes a TTL high is $<15$ nsec.

Fig 4a is an extremely versatile trigger circuit. Designing a fast, stable trigger is not easy, and often entails a considerable number of discrete components.


Fig 3-Only two ICs yield a fast summing comparator (a). In b, you can observe key waveforms as the circuit operates.

This circuit, without level adjustment, triggers reliably from de to 50 MHz over a 2 to $300-\mathrm{mV}$ input range.
$\mathrm{IC}_{1}$, a gain-of-10 preamplifier, feeds an adaptive trigger configuration that maintains the output comparator's $\left(\mathrm{IC}_{3}\right.$ 's) trip point at one-half the input-signal amplitude, regardless of the signal's magnitude. The selfadjusting trip point ensures reliable automatic triggering over a wide input-amplitude range, even for very low-level inputs. As an option, the network (shown in dashed lines in Fig 4a) permits changing the trip threshold. The adjustment lets you select any point on the input-waveform edge as the trigger point.

Fig 4b shows the performance for a $40-\mathrm{MHz}$ input sine wave (trace A). At $\mathrm{IC}_{1}$ 's output (trace B), the input signal has received voltage gain with little or no phase shift. Comparator $\mathrm{IC}_{3}$ gives a clean logic output (trace C). At the highest frequencies, bandwidth limiting can occur in $\mathrm{IC}_{1}$, but it is irrelevant; the adaptive trigger threshold will simply vary in proportion to the input to maintain the circuit output.

The circuit of Fig 5 a lets you determine very short pulse widths (in this case, 250 nsec full scale) with a typical error of $1 \%$. Digital methods of achieving simi-
lar results dictate GHz clock speeds, and thus result in cumbersome implementations. In addition, proces-sor-based approaches that use averaging techniques require repetitive pulses; this circuit does not. Circuits of the type shown in Fig 5a frequently appear in automatic test equipment and nuclear and high-energy physics work, where measuring the width of short pulses is a common requirement.

The circuit functions by charging a capacitor for the duration of the pulse. When the pulse ends, the charging ceases, and the voltage across the capacitor is proportional to the width of the pulse.

The pulse whose width is to be measured (Fig 5b, trace A) simultaneously biases the 74 C 221 dual oneshot and $Q_{3} . Q_{3}$, aided by Baker clamping, feed-forward capacitance, and optimized de base biasing, turns off in a few nsec. Current source $Q_{2}$ 's emitter becomes forward biased, and $Q_{2}$ supplies constant current to the $100-\mathrm{pF}$ integrating capacitor. $Q_{1}$ supplies temperature compensation for $Q_{2}$ and the 2.5 V LT1009 provides the current-source reference. The $100-\mathrm{pF}$ capacitor at Q2's collector charges in ramp fashion (trace B). $\mathrm{IC}_{1}$ supplies a buffered output (trace C). When the input


Fig 4-An extremely versatile trigger circuit (a) consists of three ICs and two pairs of transistors, each connected as a current source. The circuit adjusts its threshold as the amplitude of the incoming signal varies. In b, you see waveforms during circuit operation.
$\mathrm{IC}_{3}$ and $\mathrm{IC}_{4}$ provide low-drift buffering and present a low-impedance reference to the supply pins of the paralleled inverters. The HCMOS outputs give essentially error-free low-resistance switching. The reference switch's output charges the $15-\mathrm{pF}$ capacitor via the path that includes $\mathrm{Q}_{1}$.
When $\mathrm{IC}_{1}$ 's output crosses zero, $\mathrm{IC}_{5}$ 's inverting output goes high and the reference switch (trace B) goes to ground, causing the $15-\mathrm{pF}$ capacitor to dispense charge into the summing node via $Q_{2}$ 's base-emitter junction. The amount of charge dispensed is a direct function of the voltage that had existed across the $15-\mathrm{pF}$ capacitor ( $\mathrm{Q}=\mathrm{CV}$ ). $\mathrm{Q}_{3}$ and $\mathrm{Q}_{4}$ in the reference string provide temperature compensation for $Q_{1}$ and $\mathrm{Q}_{2}$. The current that flows through the $15-\mathrm{pF}$ capacitor (trace C) reflects the charge-pumping action. Removing current from $\mathrm{IC}_{1}$ 's summing junction (trace D) drives the junction negative very quickly. The initial negative-going 15 -nsec transient at $\mathrm{IC}_{1}$ 's output results from amplifier delay.
The input signal feeds directly through the feedback capacitor and appears at the output. When the amplifier finally responds, its output (trace A) slew limits as the amplifier attempts to regain control of the summing node. The $1.2-\mathrm{k} \Omega$ pull-up resistor and the RC damper at $\mathrm{IC}_{1}$ 's output enhance the amplifier's recovery from slewing. The amount of time the reference switch remains at ground depends on the $5-\mathrm{pF} / 1000 \Omega$ hysteresis network at $\mathrm{IC}_{5}$ and on how long $\mathrm{IC}_{1}$ takes to recover. A 60 -nsec interval is long enough for the $15-\mathrm{pF}$ capacitor to fully discharge. After the discharge, $\mathrm{IC}_{5}$ changes state, the reference switch swings positive, the capacitor recharges, and the entire cycle re-

## Acroynms used in this article

ac-Alternating current<br>A/D-Analog-to-digital<br>ADC-Analog-to-digital converter<br>D/A-Digital-to-analog<br>DAC-Digital-to-analog converter<br>dc-Direct current<br>FET-Field-effect transistor<br>LSB-Least-significant bit<br>RC-Resistance-capacitance<br>rms-Root-mean-square<br>S/H-Sample and hold<br>TTL-Transistor-transistor logic<br>V/F-Voltage to frequency<br>VFC-Voltage-to-frequency converter

peats. The frequency at which this oscillation occurs is directly proportional to the current into the summing junction, and, in turn, to the input voltage. Any input current will dictate an oscillation frequency that holds the summing point at an average value of zero.
At MHz frequencies, maintaining a linear relationship between the input voltage and the output frequency places severe restrictions on the circuit timing. The key to achieving a $10-\mathrm{MHz}$ full-scale operating frequency is the ability to transmit information around the loop very quickly. The discharge-reset sequence detailed in Fig 1c is particularly critical.
Fig 1c, trace A is the output of integrator $\mathrm{IC}_{1}$. Its ramp output crosses zero at the first vertical graticule division on the left. A few nsec later, $\mathrm{IC}_{5}$ 's inverting output begins to rise (trace B), switching the reference switch to ground (trace C). The reference switch begins to head towards ground about 16 nsec after $\mathrm{IC}_{1}$ 's output crosses zero. Two nanoseconds later, the summing point (trace D ) begins to go negative as current flows from it through the $15-\mathrm{pF}$ capacitor. At $25 \mathrm{nsec}, \mathrm{IC}_{5}$ 's inverting output is fully positive, the reference switch is at ground, and the summing point is at its negative extreme. Now, $\mathrm{IC}_{1}$ begins to take control. Its output (trace A) slews rapidly in the positive direction, restoring the summing point. At $60 \mathrm{nsec}, \mathrm{IC}_{1}$ is in control of the summing node and the integration ramp begins again.

## Come on, get going

Start-up and overdrive conditions could force $\mathrm{IC}_{1}$ 's output to go to the negative rail and stay there. The ac-coupled nature of the charge-dispensing loop can preclude normal operation and cause the circuit to latch. The remaining HCMOS inverter provides a "watchdog" function for this condition. If $\mathrm{IC}_{1}$ 's output goes to the negative rail, the reference switch tries to stay at ground. The remaining inverter goes high, lifting $\mathrm{IC}_{1}$ 's positive input, causing $\mathrm{IC}_{1}$ 's output to slew positive, and thus initiating normal circuit action. The $1-\mathrm{k} \Omega / 10-\mu \mathrm{F}$ combination and the $10-\mathrm{M} \Omega$ resistor in series with the inverter input limit the loop bandwidth during start-up, preventing unwanted outputs.

The LM134 current source that drives the reference string has a built-in $0.33 \% /{ }^{\circ} \mathrm{C}$ thermal coefficient, causing a slight voltage modulation in the $Q_{3} / Q_{4}$ pair over temperature. This small change ( $\sim+120 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$ ) opposes the $-120 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$ drift in the $15-\mathrm{pF}$ polystyrene capacitor and reduces the temperature coefficient of the complete circuit.

To trim this circuit, apply exactly 6 V at the input and adjust the $2-\mathrm{k} \Omega$ potentiometer for $6.000-\mathrm{MHz}$ output. Next, put in exactly 10 V and trim the $20-\mathrm{k} \Omega$ potentiometer for a $10.000-\mathrm{MHz}$ output. Repeat these adjustments until both points stay fixed. $\mathrm{IC}_{2}$ 's low drift eliminates a zero adjustment. If operation below 600 Hz is not required, you can delete $\mathrm{IC}_{2}$ and its associated components.

Nonlinearity of this circuit is $0.03 \%$ and full-scale drift is $50 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$. Zero-point error, controlled by $\mathrm{IC}_{2}$, is $0.05 \mathrm{~Hz}{ }^{\circ} \mathrm{C}$.

Fig 2a shows a simple, very fast $\mathrm{S} / \mathrm{H}$ circuit. This circuit will acquire a 5 V input to 8 -bit accuracy in 100 nsec . The hold step amplitude is less than $1 / 4 \mathrm{LSB}$, and hold settling time is less than 25 nsec . The aperture time is 4 nsec , and the droop rate is about $1 / 2 \mathrm{LSB}$ in $1 \mu \mathrm{sec}$.

Inverting buffer $\mathrm{IC}_{1}$ feeds the input to a Schottky switching bridge. The Schottky bridge, which is similar to types used in sampling oscilloscopes, switches in 1 nsec and eliminates the charge pump-through that an FET switch would contribute. The switching bridge's output feeds output-amplifier $\mathrm{IC}_{2}$. $\mathrm{IC}_{2}$, configured as


Fig 2-This very fast S/H circuit (a), acquires signals to 8-bit accuracy in 100 nsec. In b you see the waveforms within the circuit. Accurate operation depends on cancellation of the switching signals that feed through the bridge. In $\boldsymbol{c}$, the compensation is disconnected. In $\boldsymbol{d}$, you can see the effect of the compensation.
pulse ends, $Q_{3}$ turns on rapidly, reverse-biasing $Q_{2}$ 's emitter and turning off the current source. $\mathrm{IC}_{1}$ 's voltage is directly proportional to the input pulse width. A monitoring A/D converter can acquire this data.

After an interval set by the 74C22l's delay (a resistor and a capacitor set the delay), a pulse appears at the circuit's $Q_{2}$ output (trace D). This pulse turns on $Q_{4}$, discharging the $100-\mathrm{pF}$ capacitor to zero and readying the circuit for the next input pulse.

This circuit's accuracy and resolution depend strongly on keeping the delay in switching the $\mathrm{Q}_{1} / \mathrm{Q}_{2}$
current source very short. Fig 5c provides amplitude and time-expanded versions of critical circuit waveforms. Trace A is the input pulse and trace B is $\mathrm{IC}_{1}$ 's input, showing the beginning of the ramp's ascent. Trace C, $\mathrm{IC}_{1}$ 's output, shows a delay of about 13 nsec from $\mathrm{IC}_{1}$ 's input. Traces D and E , also $\mathrm{IC}_{1}$ 's input and output, record similar delays introduced by $\mathrm{IC}_{1}$ at the ramp turn-off. The photo reflects the extremely fast current-source switching; $\mathrm{IC}_{1}$ causes most of the delay. $\mathrm{IC}_{1}$ 's delay is far less critical than the current-sourceswitching delays. $\mathrm{IC}_{1}$ will always settle to the correct


Fig 5-Changing pulse widths to voltages provides a convenient way to monitor changes in time intervals that occur as a function of time. The circuit in $\boldsymbol{a}$ performs this function. In $\boldsymbol{b}$ you see circuit waveforms. These waveforms appear in expanded form in $\boldsymbol{c}$. The current-source turn-off appears in $\boldsymbol{d}$.
value well before the one-shot resets the circuit. In practice, you should not trigger a monitoring A/D converter until about 50 nsec after the circuit's input pulse has ceased. This delay gives $\mathrm{IC}_{1}$ plenty of time to catch up to the $100-\mathrm{pF}$ capacitor's settled value.
As mentioned, fast current-source switching is essential for good results. Fig 5d details the currentsource turn-off. Trace A is the circuit's input-pulse rising edge, and trace B shows the "top" of the ramp. Turn-off occurs in a few nanoseconds. Similar speed is characteristic of the input's falling edge (currentsource turn-on). In addition, note that the circuit's accuracy and resolution limits depend on the difference in current-source turn-on and turn-off delays. Therefore, the effective overall delay is extremely small.
To calibrate this circuit, apply a 250 -nsec-width pulse and trim the $1-\mathrm{k} \Omega$ potentiometer for a 10 V output. The circuit will convert pulse widths between 20 and 250 nsec to voltages with an accuracy that is typically $1 \%$. The 20 -nsec minimum-measurable width is the result of the $100-\mathrm{pF}$ capacitor's inability to discharge fully. If you must measure the width of pulses narrower than 20 nsec , you can replace $\mathrm{Q}_{4}$ with a lower-saturation-voltage device or you can offset $\mathrm{IC}_{1}$ 's output.

Most ac rms measurements use logarithmic techniques to compute a waveform's rms value. Such methods work with signals whose bandwidth is below 1


Fig 6-A basic thermal rms-to-dc converter uses a pair of heating elements. The unknown ac voltage drives one; a dc voltage drives the other. By using a high-gain amplifier to provide the dc voltage, you force the heating effect of the dc to equal that of the ac. Hence the rms value of the dc and ac are equal. Thus, when you measure the dc voltage, you are measuring the rms ac voltage.

MHz and whose crest factor is less than about 10. Practically speaking, a waveform's ability to heat a resistive load defines its rms value. Specialized instruments employ thermally based assemblies that compute the rms values of input signals. Compared with logarithmically based converters, thermal methods work over a substantially wider bandwidth and produce accurate results with signals that have much higher crest factors (ratio of peak to rms voltage).
Thermal rms-to-dc converters are direct acting, thermoelectronic analog computers. The thermal technique is explicit, relying on "first principles"-that is, on the definition of rms. The simple operation permits wideband performance unattainable with implicit, indirect methods based on logarithmic computing.
Fig 6 shows a classic scheme for implementing a thermally based rms-to-dc converter. Here, the dc amplifier forces a second, identical, heater-sensor pair to the same thermal conditions as the pair driven by the input. This differentially sensed, feedback-enforced loop makes ambient-temperature shifts a commonmode term, eliminating their effect. Also, although the voltage and thermal interaction is nonlinear, the inputoutput voltage relationship is linear and has a gain of 1 .
The ability of this arrangement to reject ambienttemperature shifts depends on the heater-sensor pairs being at equal temperatures. You can achieve this condition by thermally insulating the sensors with a thermal time constant well below that of any ambienttemperature shifts. If you match the time constants of the heater-sensor pairs, ambient temperature-terms will affect the pairs equally and the dc amplifier will reject this common-mode term. Note that, even though the pairs are at equal temperatures, they are insulated from each other. Any thermal interaction between the pairs reduces the system's thermally based gain terms. This interaction would cause unfavorable signal-tonoise performance and limit the dynamic operating range. The output of Fig 6's circuit is linear because the matched thermal pairs' nonlinear voltage-temperature relationships cancel each other.
The advantages of this approach have made its use popular in thermally based rms measurements. Typically, the assembly consists of matched heater resistors, sensors, and thermal insulation. These assemblies are relatively large and producing them is rather expensive.
Fig 7a's economical wide-band thermally based voltmeter uses a monolithic thermal converter. The LT1223 amplifier provides gain and drives the LT1088 rms-to-de thermal converter. The supply biases the

LT1088's temperature-sensing diodes. $\mathrm{IC}_{1}$, set up as a differential servo amplifier with a gain of 9000 , extracts the diode's difference signal and biases $Q_{1} . Q_{1}$ drives one of the LT1088's heaters, completing a loop. The $3300-\mathrm{pF}$ capacitor gives a stable roll-off. The $1.5-$ $\mathrm{M} \Omega / 0.0225-\mu \mathrm{F}$ combination improves settling by reducing the gain during output slewing. The LT1088's square-law thermal gain makes the overall loop gain lower for small inputs. Normally, the low gain would cause slow settling for values below about 10 to $20 \%$ of full scale. The LT1004 $1-\mathrm{k} \Omega / 3-\mathrm{k} \Omega$ network provides a simple breakpoint that boosts the amplifier gain at low signal levels to improve settling. $\mathrm{IC}_{2}$, a gain-
trimmable output stage, compensates for gain variations in the two sides of the LT1088.
To trim the circuit, apply a dc signal of about $10 \%$ of full scale (that is, 0.05 V ) and adjust the "zero trim" so that $\mathrm{V}_{\text {out }}=\mathrm{V}_{\text {IN }}$. Next, apply a full-scale de input and set the full-scale trim for a full-scale output. Repeat the trims until both errors are well below $1 \%$ of full-scale. An alternate trimming scheme involves applying no input, grounding $Q_{1}$ 's base, and adjusting the zero trim until $\mathrm{IC}_{1}$ 's output is active. Then you disconnect $\mathrm{Q}_{1}$ 's base from ground, apply a full-scale input, and trim the full-scale adjustment to produce a full-scale output.
Fig 7b is a plot of the circuit's error vs input fre-


Fig 7-A functioning rms-to-dc converter appears in $\boldsymbol{a}$. In $\boldsymbol{b}$, you see the circuit's error vs frequency for several input-signal amplitudes and for two values of heater resistance.


When you select a Guardian solenoid or relay, it's really your name-and reputation-on the line. That's why we make certain our products perform exactly to your specifications, the first time and every time. Need technical data? It's readily available to you, along with prompt, personal assistance from our application engineers. Guardian offers a complete range of products in stock, or we can provide you with a custom unit to meet your requirements. Your Guardian team is with you from design through on-time delivery. Plus, Guardian's global associations provide you with that extra measure of support.
For precision products so reliable you could put your name on them, call Guardian's toll-free service hotline at 1-800-762-0369. Just tell us who you are-and what you need. 1-800-762-0369 FAX: 815-337-0377
quency. When you apply your input to one of the $50 \Omega$ heaters, the LT1088's error spec is $2 \%$ to 100 MHz ; using a $250 \Omega$ heater, the spec is $1 \%$ to 20 MHz . Most of the error shown results from bandwidth restrictions in $\mathrm{IC}_{3}$, but the performance is still impressive. The plots include data taken at various input levels into both a high and a low-resistance heater. The error in the response to a $500-\mathrm{mV}$ input into the $250 \Omega$ heater rises to $1 \%$ at 8 MHz , and $2.5 \%$ at 14 MHz before peaking badly beyond 17 MHz . This input level forces a 9.5 V -rms output at $\mathrm{IC}_{3}$, and introduces large-signal bandwidth limitations. The $400-\mathrm{mV}$ input to the $250 \Omega$ heater produces essentially flat response to 20 MHz , the LT1088's $250 \Omega$-heater specification limit.
The $50 \Omega$ heater provides significantly wider bandwidth, although in the circuit of $\mathbf{F i g} \mathbf{7 a}, \mathrm{IC}_{3}$ 's $50-\mathrm{mA}$ output limits the maximum input to about $100-\mathrm{mV}$ rms (1.76V rms at the LT1088).

As you can see, the circuits discussed here are useful in their own right. They are also thought provoking. You can combine and modify them virtually without limit, and in so doing, produce new circuits that perform many other useful functions.

EDN

## Author's biography

For more information on this article's author, turn to pg 163 in the October 10, 1991 issue.

Article Interest Quotient (Circle One) High 470 Medium 471 Low 472

## HAVE YOUR SAY

EDN's Signals \& Noise column provides a forum for readers to express their opinions on issues raised in the magazine's articles. Send your letters to Signals \& Noise Editor, EDN Magazine, 275 Washington St, Newton, MA 02158. Or use EDN's bulletin-board system at (617) 558-4241: From the Main System Menu, enter SS/SOAPBOX, then W to write us a letter. You'll need a 2400 -bps or less modem and a communications program set for $8, \mathrm{~N}, 1$.

> High-frequency communications signals need wideband analog circuits. Highspeed monolithic amplifiers let you build simple, effective circuits to meet this need for both optical and RF transmission.

Jim Williams, Linear Technology Corp

Megahertz-range data transmission and communications requires wideband linear circuitry. By designing around a monolithic high-speed amplifier, you can easily implement a variety of standard highperformance communications circuits. The following circuits detail several such designs for both optical and RF transmission. All have been carefully worked out and can serve as good idea sources.

Amplifying fast photodiode signals over a wide range of optical intensity is one common optical-communications requirement. Fig 1a's fast FET amplifier gives wideband operation for 5 decades of photocurrent. You set up the photodiode in the conventional manner and use a -15 V bias to aid diode response. Photocurrent feeds directly to $\mathrm{IC}_{1}$ 's summing point, which causes $\mathrm{IC}_{1}$ 's output signal to move to whatever level is required to maintain virtual ground at the negative input
pin. Fig 1b details the circuit's operating characteristics when using the HP5082-4204 photodiode.

You must use care when frequency-compensating this circuit. The diode has approximately 2 pF of parasitic capacitance, which creates a significant lag at $\mathrm{IC}_{1}$ 's summing point. Without a feedback capacitor, the circuit's high-speed dynamics are poor. Fig 1c illustrates this point by showing the circuit's response to a photocurrent input pulse (trace A) when the $3-\mathrm{pF}$ feedback capacitor is removed. $\mathrm{IC}_{1}$ 's output voltage (trace B) overshoots and saturates before finally ringing down to its final value. Replacing the feedback capacitor gives Fig 1d's results. The same input pulse (trace A) produces a cleanly damped output voltage (trace B). The capacitor, however, imposes a $50 \%$ speed penalty (note that the horizontal scale of Fig 1d is faster than that of Fig 1c). This penalty is unavoidable because suppressing the parasitic ringing's relatively low frequency mandates significant roll-off.

## Basic amplifier has many uses

You can use the basic photodiode amplifier as the foundation for a variety of measurement and communications circuits. One such measurement circuit is Fig 2a's photointegrator. The output voltage represents the integral of the diode's photocurrent over a time period defined by the control line. This circuit is par-
ticularly useful for measuring the total energy in a light pulse or pulses. The circuit is a fast integrator and uses $\mathrm{IC}_{2 \mathrm{~A}}$ as a reset switch. $\mathrm{IC}_{2 \mathrm{~B}}$, which the control input signal switches simultaneously with $\mathrm{IC}_{2 \mathrm{~A}}$, compensates for $\mathrm{IC}_{2 \mathrm{~A}}$ 's charge-injection error.

When the control input line is low (Fig 2b, trace A) and no photocurrent is present, $\mathrm{IC}_{2 \mathrm{~A}}$ is closed and $\mathrm{IC}_{1}$ acts as a grounded follower. Under these conditions, $\mathrm{IC}_{1}$ 's output signal (trace C ) sits at 0 V . When the control input line goes high, $\mathrm{IC}_{1}$ becomes an integrator as soon as $\mathrm{IC}_{2 \mathrm{~A}}$ opens. Due to the switch delay, $\mathrm{IC}_{2}$ opens approximately 150 nsec after the control input line goes high.

When $\mathrm{IC}_{2 \mathrm{~A}}$ opens, it delivers some parasitic charge to $\mathrm{IC}_{1}$ 's summing point. $\mathrm{IC}_{2 \mathrm{~B}}$ provides a compensatory charge-based pulse at $\mathrm{IC}_{1}$ 's positive terminal to cancel
the effects of $\mathrm{IC}_{2 \mathrm{~A}}$ 's charge error. The combined effect of the two charge pulses shows up as a fast, small amplitude event in $\mathrm{IC}_{1}$ 's output, which settles rapidly back to 0 V . You can see this event on trace C near the $400-$ nsec mark.

Once the switches have opened, the integrator is ready to receive and record a light pulse. When a light pulse (trace B ) falls on the photodiode, $\mathrm{IC}_{1}$ responds by integrating (trace C). With the circuit as shown in Fig 2a, $\mathrm{IC}_{1}$ integrates rapidly until the light pulse ceases. $\mathrm{IC}_{1}$ 's voltage after the light event is over is related to the total energy the photodiode sees during the event. In typical operation, the control line then returns low, which resets $\mathrm{IC}_{1}$ for the next light event.

When the circuit has only 10 pF of integration capacitance, its output droop rate is about $0.2 \mathrm{~V} / \mu \mathrm{sec}$. You

(a)

HORIZONTAL SCALE $=500 \mathrm{nSEC} / \mathrm{DIV}$
(c)

| TRACE | VERTICAL SCALE |
| :---: | :---: |
| A | $175 \mu$ A/DIV |
| $\mathbf{B}$ | 10 V/DIV |


| RESPONSE DATA |  |  |
| :--- | :---: | :---: |
| LIGHT $(900 \mathrm{~nm})$ | DIODE CURRENT | CIRCUIT OUTPUT |
| 1 mW | $350 \mu \mathrm{~A}$ | 10.0 V |
| $100 \mu \mathrm{~W}$ | $35 \mu \mathrm{~A}$ | 1 V |
| $10 \mu \mathrm{~W}$ | $3.5 \mu \mathrm{~A}$ | 0.1 V |
| $1 \mu \mathrm{~W}$ | 350 nA | 0.01 V |
| 100 nW | 35 nA | 0.001 V |

(b)


HORIZONTAL SCALE $=200$ nSEC/DIV
(d)

Fig 1-This basic photodiode amplifier circuit (a) handles 5 decades of light intensity. The table (b) details the circuit's operating characteristics with the HP5082-4204 diode. Parts $\boldsymbol{c}$ and $\boldsymbol{d}$ show the circuit's response (trace B) to an input signal (trace A) without and with compensation, respectively.
can increase the capacitance, but the integration speed will suffer accordingly. As shown, the circuit accommodates integration times of nanoseconds to milliseconds and photocurrents ranging from nanoamperes to hundreds of microamperes. Thus, light pulses with opticalpower intensities spanning microwatts to milliwatts over wide ranges of duration are practical input signals.

The primary factors restricting the circuit's accuracy are $\mathrm{IC}_{1}$ 's 75 -pA bias current and 12 V output swing and


Fig 2-The basic photodiode amplifier is the basis for this integrator, which has a resettable output (a). When the control line is high (b, trace A), the circuit integrates (trace C) the incoming signal (trace B).
the effectiveness of the charge-cancellation network. Typically, the circuit can achieve full-scale accuracy within several percent if you trim the charge-cancellation network. To trim the network, make sure that no light falls on the diode while you repetitively pulse the control line. Adjust the trimmer capacitor to achieve a 0 V output at $\mathrm{IC}_{1}$ immediately after the disturbance associated with the $\mathrm{IC}_{2 \mathrm{~A}}-\mathrm{IC}_{2 \mathrm{~B}}$ switching settles.

A communications circuit that relies on the basic photodiode amplifier is the simple fiber-optic receiver in Fig 3a. $\mathrm{IC}_{1}$, a photocurrent-to-voltage converter similar to $\mathbf{F i g}$ 1a, feeds comparator $\mathrm{IC}_{2} . \mathrm{IC}_{2}$ compares $\mathrm{IC}_{1}$ 's output voltage to a dc level established by the


Fig 3-This simple optical receiver (a) has a fixed signal threshold. The outputs of $I C_{t}\left(b\right.$, trace B) and $I C_{2}$ (trace C) lag the input signal (trace A).
threshold-adjust potentiometer, thus producing a logiccompatible output signal. Fig 3b shows this circuit's typical waveforms. Trace A is a pulse associated with a light input signal. Trace B is $\mathrm{IC}_{1}$ 's response, and trace C is $\mathrm{IC}_{2}$ 's output signal. The phase shift between the photocurrent input signal and $\mathrm{IC}_{2}$ 's output signal is due to $\mathrm{IC}_{1}$ 's delay in reaching the threshold level. Reducing the threshold level will help reduce the shift but moves the circuit's operation closer to the noise floor. Additionally, the fixed threshold level cannot account for response changes in the emitter and detector diodes and the fiber-optic line over time and temperature. These response changes manifest as changes in the apparent amplitude of the signal.

Receiving high-speed fiber-optic data with such input amplitude variations is not easy, especially if the variation is wide. Unless the receiver is carefully de-
signed, the high-speed data and uncertain intensity of the light level can cause erroneous results. Fig 4a addresses the previous circuit's fixed-threshold limitation and offers significant performance advantages. This receiver reliably conditions fiber-optic input signals as fast as 40 MHz . The peak-to-peak amplitude of input signal can vary by as much as 40 dB . The circuit's digital output stage has an adaptive threshold trigger that accommodates signal intensity variations due to component aging and other causes. The circuit has an analog output signal that you can use to monitor the detector's output.

The PIN photodiode detects the optical signal, which $\mathrm{IC}_{1}$ then amplifies. A second stage, $\mathrm{IC}_{2}$, further amplifies the signal. The output voltage of this second stage biases a 2-way peak detector ( $Q_{1}$ through $\left.Q_{4}\right)$. $Q_{2}$ 's emitter capacitor stores the signal's maximum peak while


Fig 4-A self-adapting threshold is the hallmark of this optical receiver (a). Driven by a test signal (b, trace A), the circuit lets you monitor the detector's current (trace B) in addition to producing a final output (trace C).

## Protective circuit can save you a load

Some type of fuse or circuit breaker helps protect integrated circuits during developmental probing and expensive loads during trimming and calibration. Fig Aa shows a simple circuit that will turn off current in a load 18 nsec after that current exceeds a preset value. The circuit is especially versatile because one side of the load is grounded.

Under normal conditions, $Q_{1}$ 's emitter is biased on and supplying power to the load via the $10 \Omega$ current shunt. Differential amplifier $\mathrm{IC}_{1}$ 's output signal resides below comparator $\mathrm{IC}_{2}$ 's voltageprogrammed trip point, and $\mathrm{Q}_{2}$ is off.

When an overload occurs, Q's
emitter current begins to increase (Fig Ab, trace A, just prior to the third vertical division). $\mathrm{IC}_{1}$ 's output voltage (trace B) begins to rise as it tracks the increase in voltage across the $10 \Omega$ shunt. The $9-\mathrm{k} \Omega, 1-\mathrm{k} \Omega$ voltage dividers keep $\mathrm{IC}_{1}$ 's input pins within their common-mode range. $Q_{1}$ 's emitter voltage (trace C) begins to drop as the transistor beta-limits. When $\mathrm{IC}_{1}$ 's version of the load current exceeds $\mathrm{IC}_{2}$ 's trip point, $\mathrm{IC}_{2}$ goes high (trace D), which turns on $Q_{2}$. (Local positive feedback at $\mathrm{IC}_{2}$ 's latch pin causes $\mathrm{IC}_{2}$ to latch in this off state.) $\mathrm{Q}_{2}$ steals $\mathrm{Q}_{1}$ 's base drive, thus turning off the load current.

Once you've cleared the load fault, you can use the push button to reset the circuit. The delay from the onset of excessive load current to complete circuit shutdown is less than 18 nsec. (When interpreting the Fig Ab waveforms, note that trace A's current probe has a 4-nsec delay.) To calibrate the circuit, ground $\mathrm{Q}_{2}$ 's base and install a $250-\mathrm{mA}$ load. Adjust the $200 \Omega$ trim for a 2.5 V output signal at $\mathrm{IC}_{1}$. Next, remove the load, unground $Q_{2}$ 's base, and press the reset button. Finally, set the desired trip voltage, and the circuit is ready for use.


Fig A-This circuit breaker (a) trips in as little as 18 nsec. The circuit shuts down the load (b, trace C) when the load current (trace A) exceeds the trip point. Trace B represents $I C_{1}$ 's output voltage; trace $D$ represents $I C_{2}$ 's output voltage.
$\mathrm{Q}_{4}$ 's emitter capacitor retains the minimum excursion. The de value of the midpoint of $\mathrm{IC}_{2}$ 's output signal appears at the junction of the $500-\mathrm{pF}$ capacitor and the $22-\mathrm{M} \Omega$ resistors. This point will always be midway between the signal's excursions, regardless of the signal's absolute amplitude. The low-bias LT1097 op amp $\left(\mathrm{IC}_{3}\right)$ buffers this signal-adaptive voltage to set the
trigger voltage at $\mathrm{IC}_{4}$ 's positive input pin. $\mathrm{IC}_{4}$ 's negative input pin is biased directly from $\mathrm{IC}_{2}$ 's output.

Fig $\mathbf{4 b}$ shows the results of using the test circuit of Fig 4a. The pulse generator's output signal is trace A ; $\mathrm{IC}_{2}$ 's analog output voltage is trace $\mathrm{B} . \mathrm{IC}_{4}$ 's output signal is trace C. The waveforms were recorded using a $5-\mu \mathrm{A}$ photocurrent at about 20 MHz as the test signal.


Fig 5-This mixer's (a) single-ended output signal is easier to work with than differential signals. Trace B (b) is the result of mixing trace A with a $20-\mathrm{MHz}$ sine wave.


Fig 6-A servo loop enables this circuit to stabilize RF signals. The loop circuit (a) uses an rms-to-dc converter (b).

Note that $\mathrm{IC}_{4}$ 's output transitions (trace C) correspond with the midpoint (plus $\mathrm{IC}_{4}$ 's $10-\mathrm{nsec}$ propagation delay) of $\mathrm{IC}_{2}$ 's output signal (trace B), in accordance with the adaptive-trigger circuit's operation.

## Mixer yields single-ended signal

Another common communications requirement, particularly for RF work, is mixing signals for modulation or heterodyning. Analog multipliers can mix signals, but they have a drawback; their output signals take a differential form. These differential signals, which have substantial common-mode content, are frequently inconvenient to work with. You can use RF transformers to convert them to single-ended signals, but you lose dc and low-frequency information in the process. Fig 5a illustrates a better approach. The circuit uses the LT1193 differential amplifier $\left(\mathrm{IC}_{2}\right)$ to accomplish the differential-to-single-ended transition. Set up $\mathrm{IC}_{1}$ in the configuration Ref 1 recommends. The LT1193 takes the differential signal from $\mathrm{IC}_{1}$ 's $50 \Omega$-terminated output lines and provides a single-ended output signal. The amplifier's gain of 2 yields an 11 V output signal at full scale.
$\mathrm{IC}_{1}$ 's output signals ride on a common-mode level quite close to the device's positive supply. This com-mon-mode level falls outside $\mathrm{IC}_{2}$ 's input common-mode

## Acronyms used in this article

> FET-Field-effect transistor
> RF-Radio frequency rms-Root mean square
range. The diodes in the 7.5 V supply rails drop the supply voltage to $\mathrm{IC}_{1}$, which biases $\mathrm{IC}_{1}$ 's output signals within $\mathrm{IC}_{2}$ 's input range. This scheme avoids the attenuation and matching problems you'd get if you placed a level shift between the multiplier and amplifier. The impedance of the ferrite beads combine with the diodes' impedance to ensure adequate bypassing for the multiplier.
This circuit's performance is quite impressive. Error remains within $2 \%$ over de to 50 MHz , and feedthrough is less than -50 dB . Trimming the circuit involves adjusting the variable capacitor at the amplifier for minimal output square-wave peaking. Fig 5b shows the circuit's performance when multiplying a $20-\mathrm{MHz}$ sine wave by trace A's waveform. The output signal (trace B) is a singularly clean instantaneous representation of the X and Y input products.

Often in RF communications you will want to stabilize the amplitude of a waveform against variations in

input signal strength over time and temperature. Instruments and transmitters must often provide this function, which is not easy if the instruments must also maintain waveform purity. Fig 6a shows a circuit that stabilizes waveform amplitudes while maintaining waveform purity.

You apply the RF input signal to the AD539 wideband multiplier $\left(\mathrm{IC}_{1}\right)$, which drives $\mathrm{IC}_{2}$. An LT1088based rms-to-dc converter (Fig 6b) turns $\mathrm{IC}_{2}$ 's output to dc. A servo amplifier ( $\mathrm{IC}_{3}$ ) compares that de output signal with a settable dc reference and biases the multiplier's control channel, thus completing a loop. The $0.33-\mu \mathrm{F}$ capacitor provides frequency compensation by rolling off gain at a frequency well below the response of the LT1088 servo amplifier. The loop maintains the output's $25-\mathrm{MHz}$ rms amplitude at the dc reference's


Fig 7-A voltage-controlled current source (a) often comes in handy. This circuit produces a clean output current (b, trace B) 4 $n$ sec after the input voltage (trace A).
value; it rejects changes in load, input-signal strength, power-supply voltage, and other variables.

All of the previous circuits have a voltage-based output signal. Sometimes, however, you'll want your output in current form. Fig 7a shows a voltage-controlled current source that has both the load and control voltage referenced to ground. This simple, powerful circuit produces output current in accordance with the sign


Fig 8-A booster circuit in the middle of this voltage-to-current converter (a) provides more power to your load than does the current source of Fig 7. Trace $A$ (b) represents voltage; trace $B$ represents current.
and magnitude of the control voltage. Resistor R sets the circuit's scale factor.
$\mathrm{IC}_{1}$, biased by $\mathrm{E}_{\text {IN }}$, drives current through R (in this case $10 \Omega$ ) and the load. $\mathrm{IC}_{2}$, sensing the differential voltage across $R$, closes a loop back to $\mathrm{IC}_{1}$. The load current is constant because $\mathrm{IC}_{1}$ 's loop forces a fixed voltage across R . The $2-\mathrm{k} \Omega, 100-\mathrm{pF}$ combination sets roll-off, and the configuration is stable. Fig 7b shows the circuit's dynamic response. Trace A is the control input voltage, $\mathrm{E}_{\mathrm{IN}}$; trace B is the output current. The response has a delay of 5 nsec and no slew residue or aberrations.

Fig 8a is Fig 7a's basic current source plus a 1A booster stage to increase output power. Including the booster inside $\mathrm{IC}_{1}$ 's feedback loop eliminates the booster's de errors. Note that the booster needs no current-limiting features because of the circuit's inherent current-limiting operation. Fig 8 b shows that the circuit's response is as clean as that of the lower-power version, although its delay is about 20 nsec slower. The loop stability considerations involved in placing $\mathrm{IC}_{2}$ and the booster in $\mathrm{IC}_{1}$ 's feedback path are significant. This type of circuit receives detailed treatment in Ref 2.

## References

1. Analog Devices Inc, Linear Products Databook, AD834 Datasheet, pgs 6-43.
2. Williams, Jim, "Subduing high-speed op-amp problems," EDN, October 24, 1991, pg 135.

## Author's biography

For more information on this article's author, turn to pg 163 in the October 10, 1991 issue.

Article Interest Quotient (Circle One) High 497 Medium 498 Low 499

> LAMB ${ }^{\text {® }}$
> DC Motors add speed control and reliability to pumps

These 12-24 VDC brushless motors give you controllability for smart pumping applications. Either $2.0^{\prime \prime}$ or $3.2^{\prime \prime}$ diameters, with stall torque to 84 oz-in, puts high power in a compact package. And, no brushes to wear means more reliable operation. AMETEK, Lamb Electric Division, 627 Lake Street, Kent, OH 44240. Tel: 216-673-3451. Fax: 216-673-8994. In Europe, Friedrichstrasse 24, 6200 Wiesbaden, Germany.
Tel: 611-370031
Fax: 611-370033.

lamb electric division

CIRCLE NO. 158

## THE SILENT CHALLENGER

TASCO Electronics, a recognized leader of digital technology in Japan, is introducing a new and exceptionally silent inte grated thermal driver, for installation in many OEM products. The amazingly quiet ( 70 OdB ) and unparalleled high speed (maximum 300 LPM), reproduces the finest graphic details. Its compact and maintenance free carriage is a gift any design engineer will be thrilled receiving and put to good use in a hurry.
The PE-525 being introduced to the world market is worthy of your most critical acclaim. Call now for more information about the SILENT CHALLENGER

TASCO PE-525
High speed, high resolution thermal driver

TASCO Electronics Co., Ltd.
38 Minamiyouchi, Higashibata, Anjyo, JAPAN Tel 81-566-92-4103 Fax 81-566-92-3108

